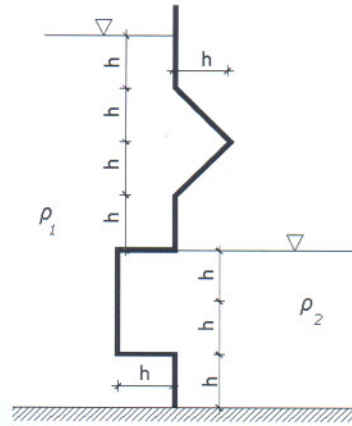


1) Različite tekućine se nalaze s lijeve i desne strane **profiliranog** lima kao na slici. Potrebno je odrediti reakcije u upetom ležaju u kojem je lim pričvršćen za pologu. Nacrtati horizontalne i vertikalne komponente dijagrama tlaka posebno s lijeve posebno s desne strane **profiliranog** lima.

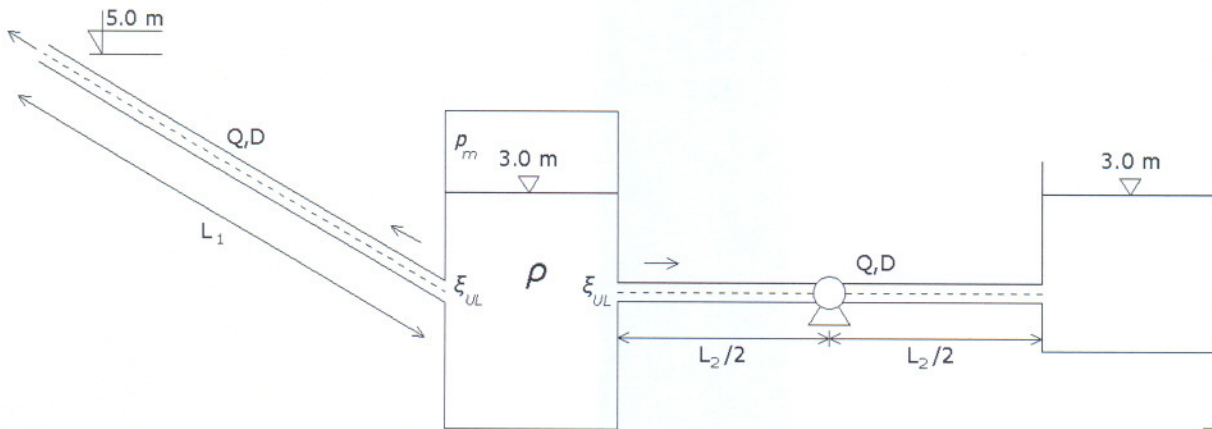
Zadano: $\rho_1 = 1000 \text{ kg/m}^3$; $\rho_2 = 700 \text{ kg/m}^3$; $h = 0.8 \text{ m}$

(20 bodova)

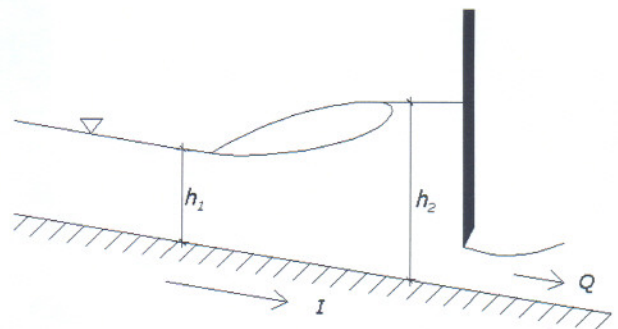


2) Na komoru pod tlakom priključene su dvije grane cjevovoda istih hidrauličkih karakteristika (relativne hrapavosti i promjera) ali različitih duljina L_1 i L_2 . Potrebno je odrediti potrebnu visinu dizanja pumpe H_{pumpe} kojom će se omogućiti da se kroz «desnu» granu cjevovoda ostvaruje isti protok realne tekućine kao i kroz «lijevu» granu cjevovoda. Nacrtati energetsku i piježometarsku liniju.

Zadano je: $D = 0,2 \text{ m}$; $\rho = 1000 \text{ kg/m}^3$; $p_m = 49,05 \text{ kPa}$; $\lambda = 0,02$; $\xi_{UL} = 0,5$; $L_1 = 100 \text{ m}$; $L_2 = 1000 \text{ m}$ (25 bodova)



3) Izračunajte normalnu dubinu vode u pravokutnom kanalu širine $B = 6 \text{ m}$ kao na slici ako je nizvodno od ustave izmjeren protok $Q = 10 \text{ m}^3/\text{s}$. Potrebno je odrediti drugu spregnutu dubinu vodnog skoka uz pretpostavku da je prva spregnuta dubina jednaka normalnoj dubini. $I = 0.05$; $n = 0.035$.

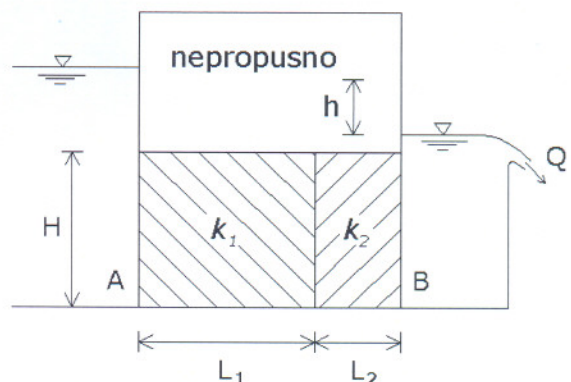


4) Za stacionarni slučaj strujanja kroz poroznu sredinu širine $B = 3 \text{ m}$ sa koeficijentima propusnosti $k_1 = 10^{-3} \text{ m/s}$, $k_2 = 10^{-2} \text{ m/s}$ izmjeren je protok $Q = 0,005 \text{ m}^3/\text{s}$. Potrebno je odrediti razliku razina h u posudi A i B koja omogućuje protjecanje zadanog Q te nacrtati piježometarsku liniju.

Zadano je: $H = 5 \text{ m}$; $L_1 = 6 \text{ m}$; $L_2 = 3 \text{ m}$

Obavezno riješiti 1. i 2. zadatak

Pitanja iz teorije se nalaze na poledini papira



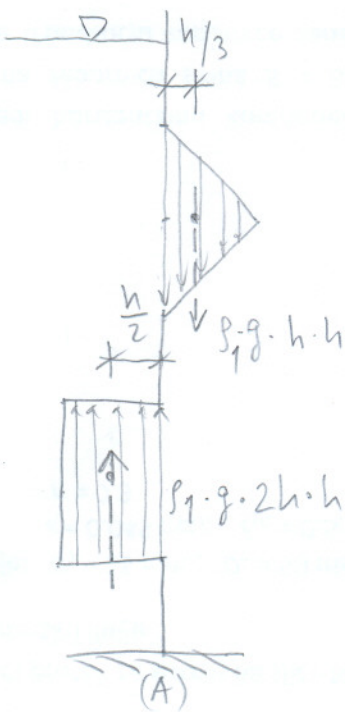
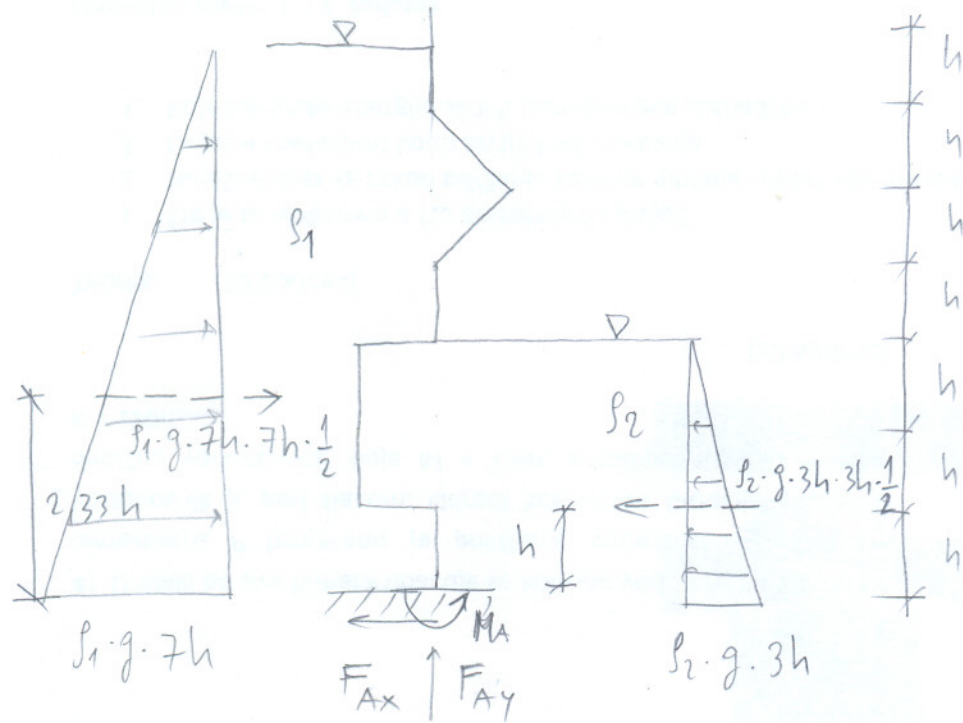
1



$$h = 0,8 \text{ m}$$

$$\rho_1 = 1000 \text{ kg/m}^3$$

$$\rho_2 = 700 \text{ kg/m}^3$$

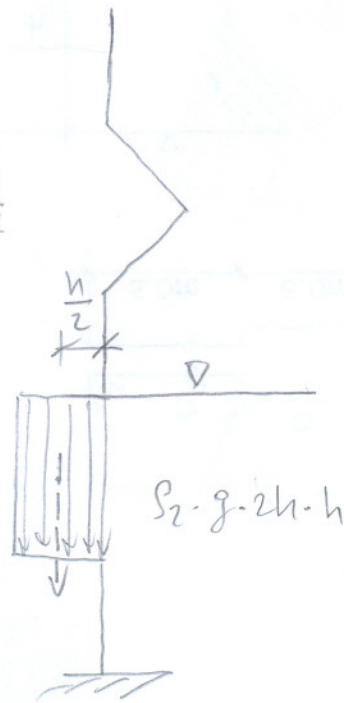


$$F_{Ax} = \rho_1 \cdot g \cdot 7h \cdot 7h \cdot \frac{1}{2} - \rho_2 \cdot g \cdot 3h \cdot 3h \cdot \frac{1}{2}$$

$$= 134,04 \text{ kN}$$

$$F_{Ay} = \rho_1 \cdot g \cdot h \cdot h - \rho_1 \cdot g \cdot 2h \cdot h + \rho_2 \cdot g \cdot 2h \cdot h$$

$$= 2,51 \text{ kN}$$



$$\sum M_{(A)} = 0$$

$$(\rho_1 \cdot g \cdot 7h \cdot 7h \cdot \frac{1}{2}) \cdot 2,33h - (\rho_2 \cdot g \cdot 3h \cdot 3h \cdot \frac{1}{2}) \cdot h + (\rho_1 \cdot g \cdot h \cdot h) \cdot \frac{h}{3} + (\rho_1 \cdot g \cdot 2h \cdot h) \cdot \frac{h}{2} - (\rho_2 \cdot g \cdot 2h \cdot h) \cdot \frac{h}{2} - M_A = 0$$

$$286,72 - 15,82 + 1,67 + 5,02 - 3,52 = M_A$$

$$M_A = 274,07 \text{ kNm}$$

2

$$1) \quad 3 + \frac{p_m}{\rho g} = 5 + \frac{V^2}{2g} \left(\sum f_{ul} + \lambda \frac{L_1}{D} \right) + \frac{V^2}{2g}$$

$$8 = 5 + \frac{V^2}{2g} \left(0,5 + 0,02 \cdot \frac{100}{0,2} + 1 \right)$$

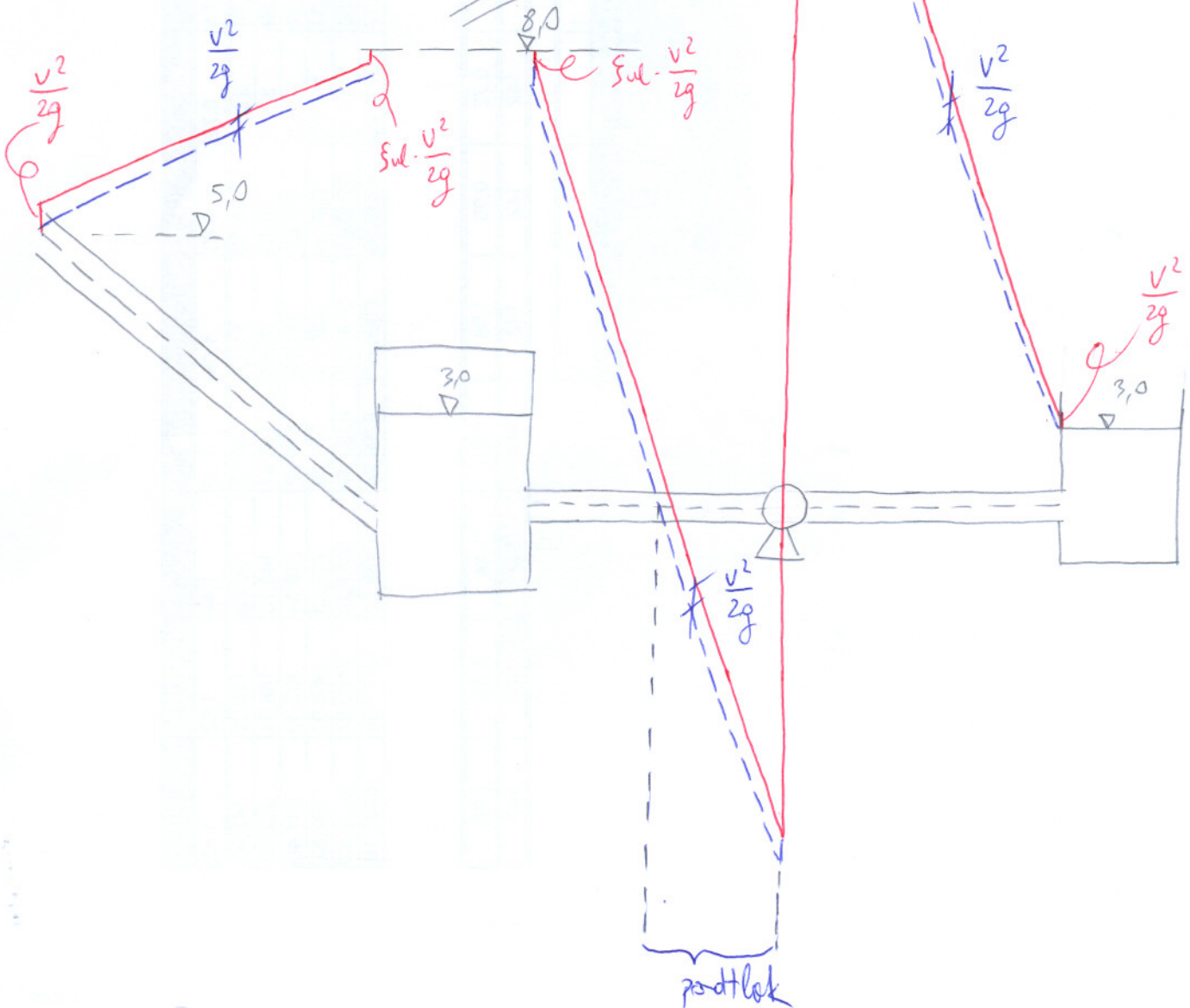
$$V = 2,26 \text{ m/s}$$

$$\frac{V^2}{2g} = 0,26 \text{ m}$$

$$2) \quad 8 + H_p = 3 + \frac{V^2}{2g} \left(\sum f_{ul} + \lambda \frac{L_2}{D} \right) + \frac{V^2}{2g}$$

$$5 + H_p = 0,26 \left(0,5 + 0,02 \cdot \frac{1000}{0,2} + 1 \right)$$

$$H_p = 21,33 \text{ m}$$

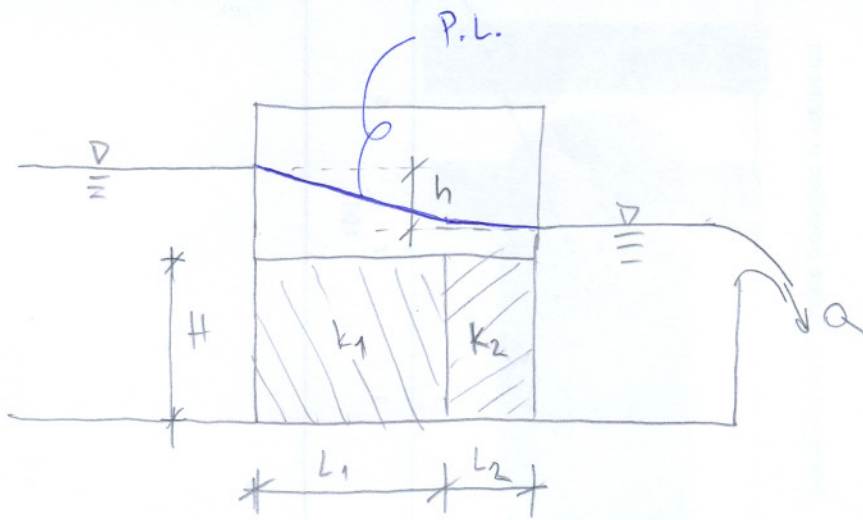


3

IDENTIČAN KAO 3. ZADATAK S ROKA

OD 13. 5. 2010.

4



$$k_1 = 10^{-3} \text{ m/d}$$

$$k_2 = 10^{-2} \text{ m/d}$$

$$Q = 0,005 \text{ m}^3/\text{s}$$

$$H = 5 \text{ m} ; B = 3 \text{ m}$$

$$L_1 = 6 \text{ m}$$

$$L_2 = 3 \text{ m}$$

$$v = \frac{Q}{H \cdot B} = \frac{0,005}{5 \cdot 3} = 0,00033 \text{ m/d}$$

$$v = k \cdot J = k \cdot \frac{\Delta h}{\Delta L}$$

$$v = k_1 \cdot \frac{\Delta h_1}{L_1} \rightarrow \Delta h_1 = \frac{v \cdot L_1}{k_1} = \frac{0,33 \cdot 10^{-3} \cdot 6}{10^{-3}} = 1,98 \text{ m}$$

$$\Delta h_2 = \frac{v \cdot L_2}{k_2} = \frac{0,03 \cdot 10^{-2} \cdot 3}{10^{-2}} = 0,09 \text{ m}$$

$$h = \Delta h_1 + \Delta h_2$$

$$h = 2,07 \text{ m}$$